

Quiz 12 Polymer Properties November 14, 2014

Latex or emulsion paints are composed of a water emulsion of polymer/pigment and solvent, with the polymer/solvent droplets encased by surfactants (soap) into 20 micron-size spherical micelles. The latex paint has a low viscosity when applied because it has the solution viscosity of a suspension of solid spheres. When the water dries the micelles break open and the polymer/co-solvent/pigment droplets coalesce into a polymer/solvent film containing the pigment. Finally, the co-solvent evaporates and a tough coating of pigment/polymer is produced.



- What is the viscosity of a suspension of latex particles with 70% latex particles by volume relative to the solvent viscosity, η_0 ? (How does this compare with the viscosity of a polymer solution of 70% polymer (consider c^*)? You will need to make some assumptions.)
- The polymer is in a semi-dilute condition after the latex particles break. How would you expect the chain size (R/R_0) to change with time if the polymer concentration followed $c \sim (1 - \exp(-kt))$ and it began at c^* before the micelles broke apart?
- Consider that the chains in these drying droplets had reactive groups that allowed three crosslink sites per chain ($f=4$) so that a network of $N/3$ chain units between crosslinks was made. Explain what would happen to the structure of a chain between crosslinks of length $N/3$ if the droplet dried from c^* (for chains of length N) to pure polymer. You need to make some assumptions but the chain length between crosslinks can be estimated.
- Consider that the paint is applied on a cold day (like today). How would this effect the process if the phase separation point for the polymer was 25°C and it displayed UCST behavior?
- Polymers can display LCST or UCST behavior. How does thermal blob behavior differ for these two cases? (You may want to plot $\log I$ versus $\log q$ for dilute solutions and show an expression for the blob size as a function of temperature for the two cases.

ANSWERS: Quiz 12 Polymer Properties November 14, 2014

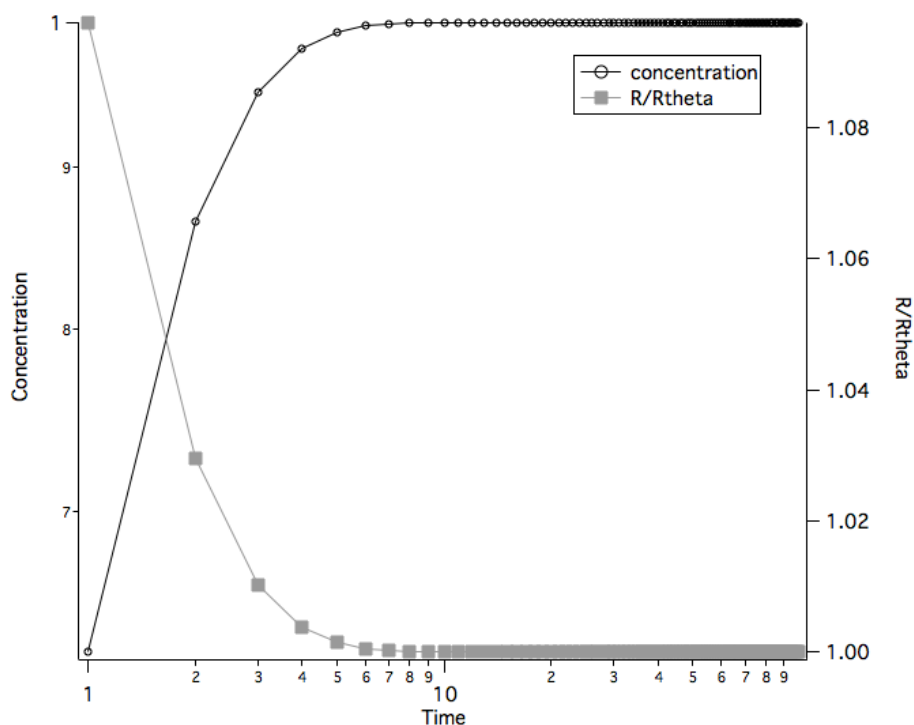
1) a) The Einstein equation describes the viscosity of a solution of spheres,

$$\eta/\eta_0 = 1 + 2.5\phi = 2.75$$

For a polymer solution far above the overlap concentration the viscosity would be much higher following an equation like $\eta/\eta_0 \sim (c/c^*)^3 \sim 70^3 = 3.4 \times 10^5$.

b) $R = \xi n_\xi^{1/2} = R_{F0} (c/c^*)^{-3/4} (c/c^*)^{5/8} = R_{F0} (c/c^*)^{-1/8}$

so $R/R_0 = (1 - \exp(-kt))^{-1/8}$



c) The chain would be reduced in length by $R_\theta/R_0 = (N/3)^{-1/5}$. This stretching would induce tensile blobs in the chain with $R_{\text{tensile}} = R_\theta(N/3)^{1/5} = N_\xi \xi$

We have that $N_\xi = N/n_\xi$, and $\xi = n_\xi^{1/2} l_k$, so $N_\xi = N(\xi/l_k)^{-2}$. Then

$$R_\theta(N/3)^{1/5} = N(\xi/l_k)^{-2} \xi = N l_k^2 / \xi. \text{ So,}$$

$$\xi = N^{4/5} (3)^{1/5} l_k^2 / R_\theta = N^{4/5} (3)^{1/5} l_k^2 / (N^{1/2} l_k) = N^{3/10} (3)^{1/5} l_k. \text{ And}$$

$$N_\xi = R_{\text{tensile}} / \xi = R_\theta (N/3)^{1/5} / (N^{4/5} (3)^{1/5} l_k^2 / R_\theta) = R_\theta^2 / (3^{2/5} N^{3/5} l_k^2) = (N/3)^{2/5}$$

d) For UCST at 25°C , $\chi = B/298^\circ\text{K} = 1/2 = 150/T$. A thermal blob would be induced in the polymer chain, $\xi = l_k / (1 - 300/T)$. The chain size would be $N_\xi = N l_k^2 / \xi^2 = N (1 - 300/T)$.

e) LCST is phase separation on heating and $\chi = A - B/T$ so that when temperature rises χ increases towards $1/2$. UCST is phase separation on cooling and $\chi = B/T$ so that as temperature drops χ increases towards $1/2$. For LCST the thermal blob increases in size

with temperature following $l_k/(1-2\chi) = l_k/(1 - 2A + 2B/T)$. For UCST the thermal blob increases in size with decrease in temperature following $l_k/(1-2\chi) = l_k/(1 - 2B/T)$.